**CSE 528: Computer Graphics** 

# **Procedural Texture Mapping**

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Some material from Jian Huang, U Tennessee and Wei Shen, USC

## Introduction

Introduced by Perlin and Perlin and Peachey (Siggraph 85/89)

Well described in the book by Ebert et al: "Texturing and Modeling: A Procedural Approach"

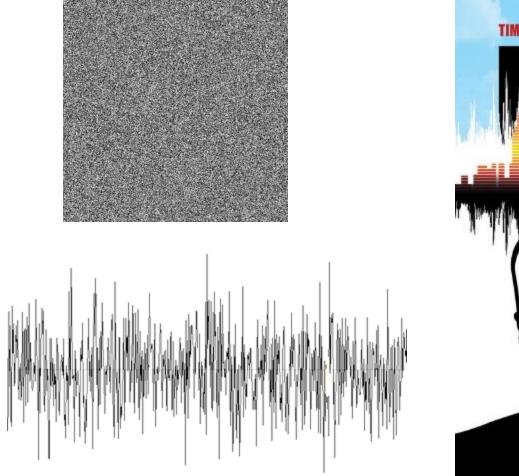
Offers

- storage savings for details (compact)
- there is no fixed resolution, a great range of detail no matter how close you look
- can cover an arbitrarily large space
- enables one to control parameters that define meaningful concepts, e.g. the roughness of a mountain

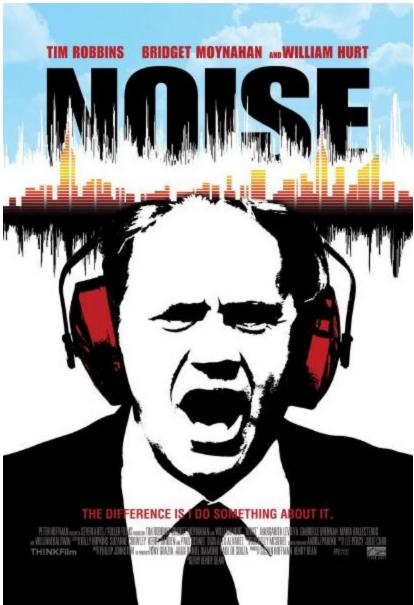
# Difficulties

- very difficult to build and debug an implicit pattern description
- can yield surprising results
- can be slow to compute  $\rightarrow$  use GPUs
- can tend to aliasing

#### **Secret of the Game**



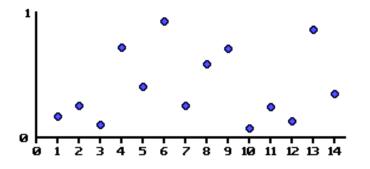
but done the right way



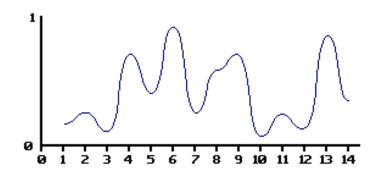
#### **Noise Function: Noise(x)**

According to Ken Perlin [Siggraph, 1995]

• Academy Award-winning well seeded random number generator at grid points (1D, 2D, 3D, ..., n-D)



 paired with Hermite spline interpolation function for offgrid value estimation



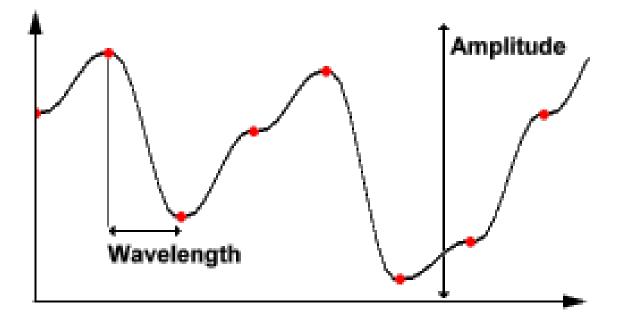
#### **Examples**



## Bozo's donut color = Colorful(noise(k\***x**))

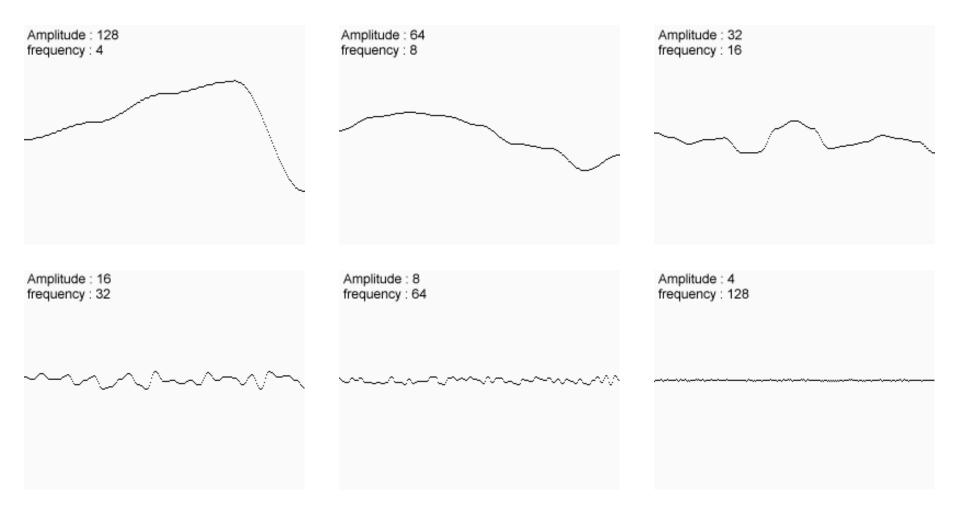
# spotted donut color = white \* noise(x)

## **Wave Properties**



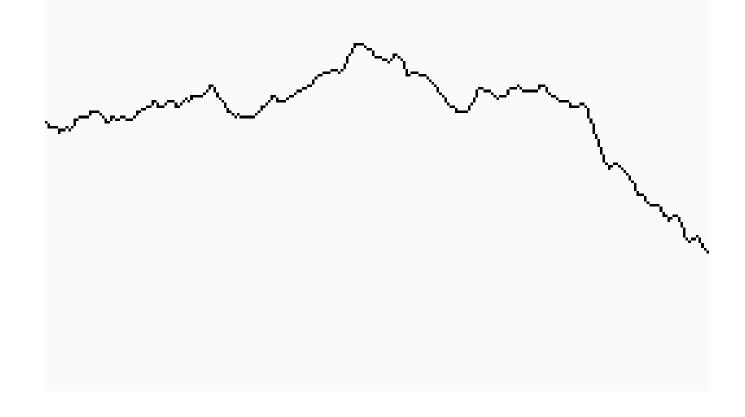
Frequency = 1/Wavelength

#### **Noise Functions: Varied Frequency and Amplitude**



#### Add Them Together, Then

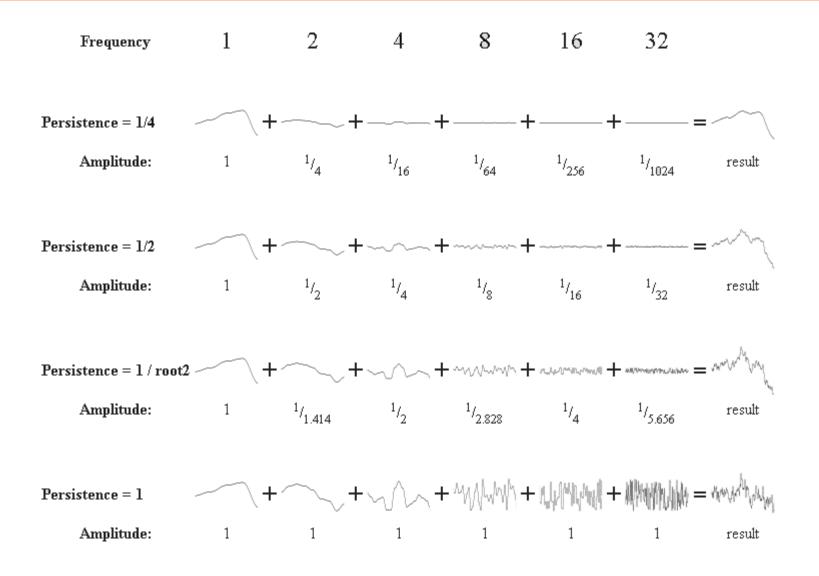
Sum of Noise Functions = ( Perlin Noise )



#### Persistence

- A single number used to specify the amplitude of each frequency
  - frequency =  $2^i$
  - amplitude = persistence<sup>i</sup> → the higher the persistence the noisier the function
  - i is the i<sup>th</sup> noise function being added
  - octave each successive noise function

#### Persistence



#### **Turbulence**

Uses the persistence concept

Noise of higher frequency, similar to fractal brownian motion:

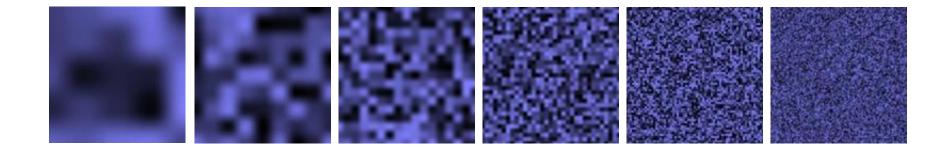
$$\sum_{i} abs(\frac{1}{2^{i}}noise(2^{i} \mathbf{x}))$$

- **x** is the coordinate vector of the grid point
- as frequency increases, the amplitude decreases

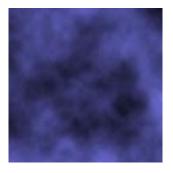
The abs() adds discontinuities in the first derivative

- gives a visual impression of discontinuous flow
- this will be interpreted by the viewer as turbulent

#### **Some Noise Functions Created in 2D**



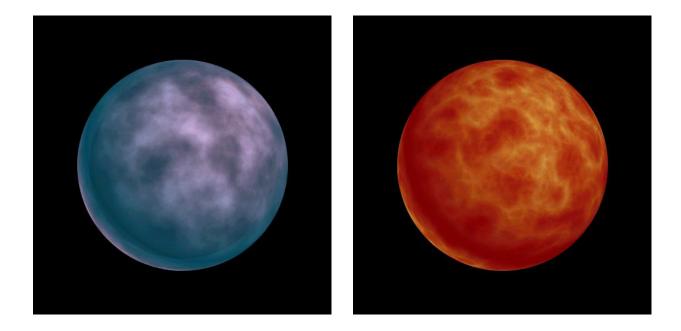
#### Adding all these functions together produces a noisy pattern



Limit the sum to the Nyquist limit of the current pixel sampling

or run risk of aliasing due to insufficient patterns sampling

#### **Some Noise Functions Created in 3D**



#### **Turbulence Example: Marble**

We observe that marble consists of heterogeneous layers

 the "marble" look derives from turbulent forces which create deformations before these layers solidify



real marble

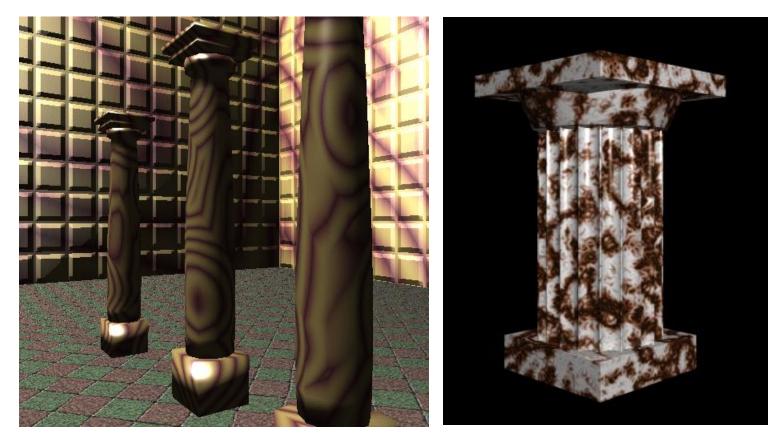


Perlin marble

Can use Perlin turbulence to create marble solid textures

- boring\_marble (x) = marble\_color (sin(x[1]) x[1] is the x-component of x
- good\_marble (x) = marble\_color (sin(x[1] + turbulence(x))

#### Marble



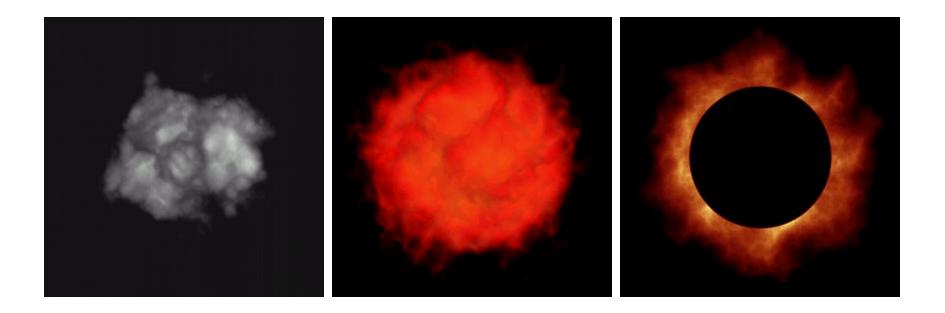
# Boring marble

#### Good marble

## **Perlin's Marble Vase**





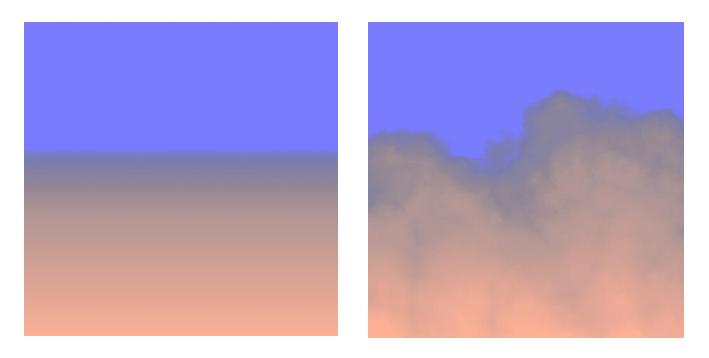


# sphere(x(1+turbulence(x)))

#### **Noise Effects: Translation**

#### Effects:

- clouds
- noise translates in x,y



Many other effects:

• wood, fur, etc.

## Rendering

#### Solid texture

- keeps original surface
- map (x,y,z) to (u,v,w) as usual

# Hypertexture

- changes surface as well (density function)
- volume rendering approach  $\rightarrow$  discrete ray caster

#### **More Solid Textures**

#### autodesk page

