Big Data Analytics: What is Big Data?

H. Andrew Schwartz Stony Brook University CSE545, Fall 2017

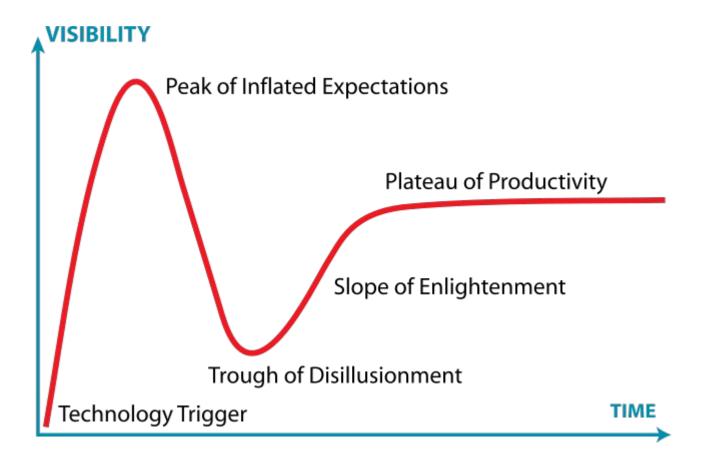


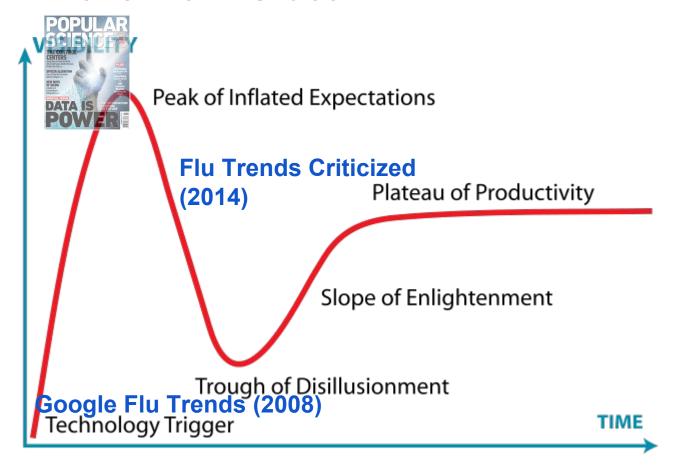


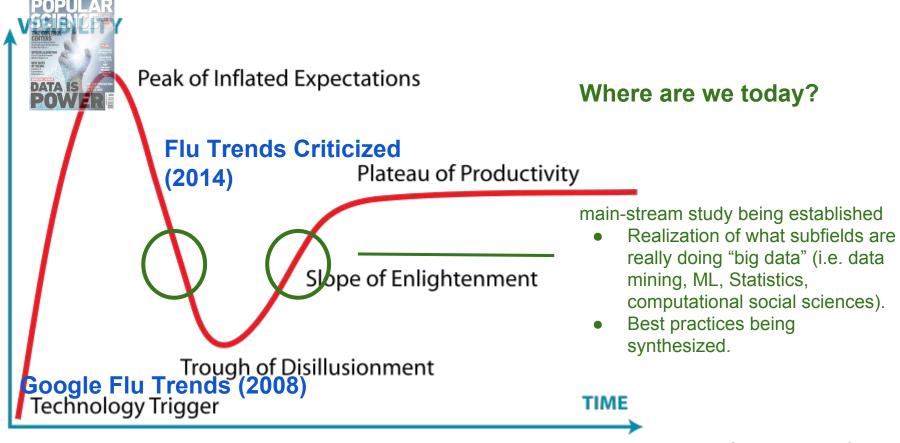




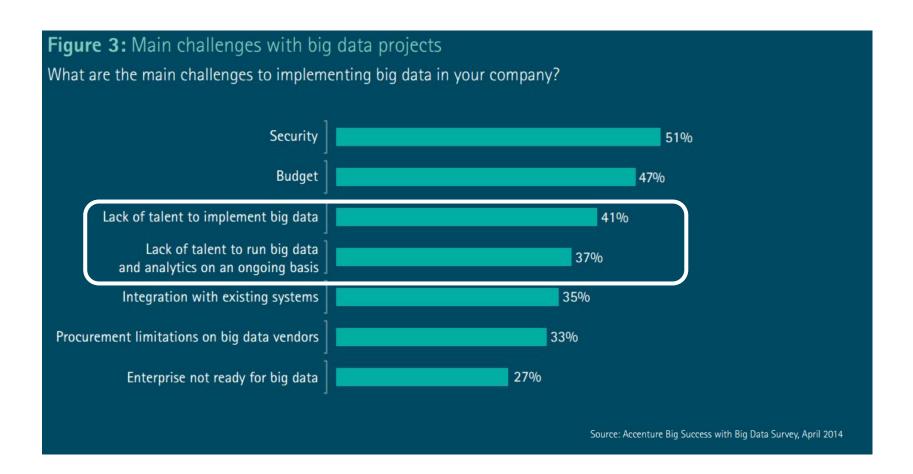


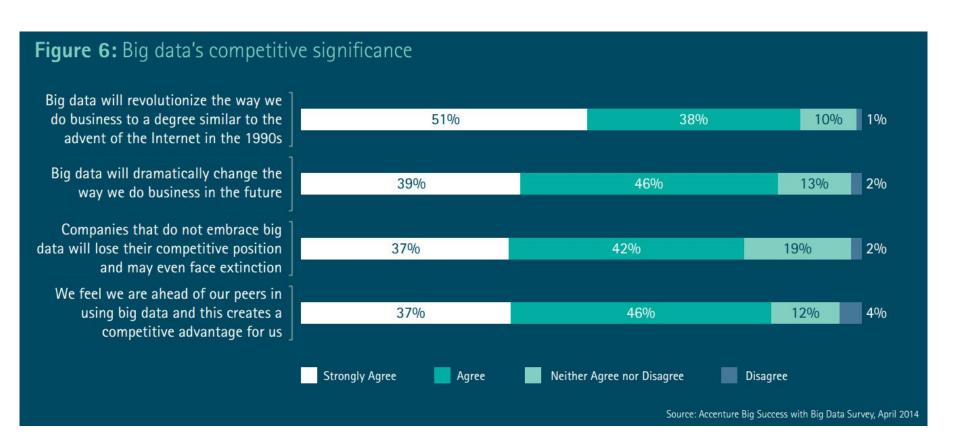






(Gartner Hype Cycle)









data that will not fit in main memory.

traditional computer science





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data with a *large* number of observations and/or features.



statistics





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other fields

non-traditional sample size (i.e. > 100 subjects); can't analyze in stats tools (Excel).

What is Big Data? Industry view:

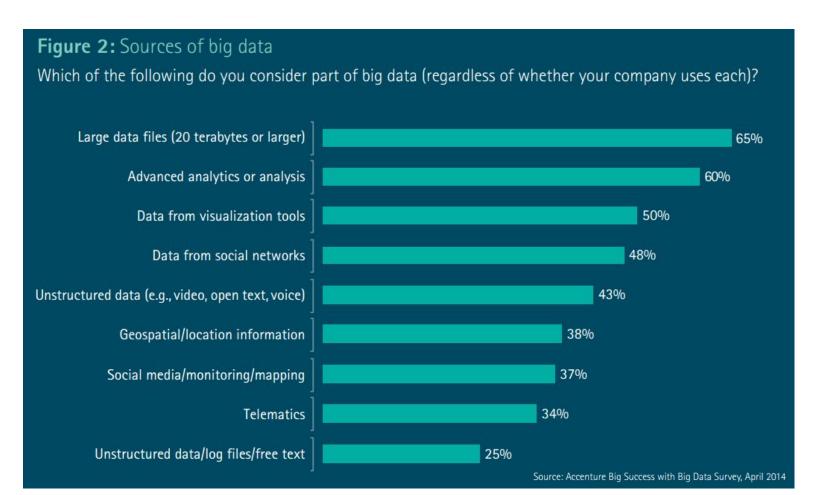
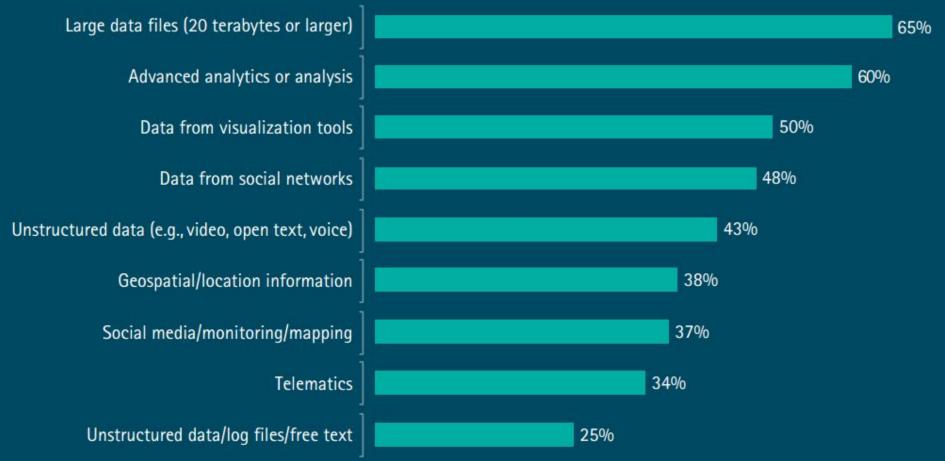


Figure 2: Sources of big data

Which of the following do you consider part of big data (regardless of whether your company uses each)? What is Big Data? Industry view:

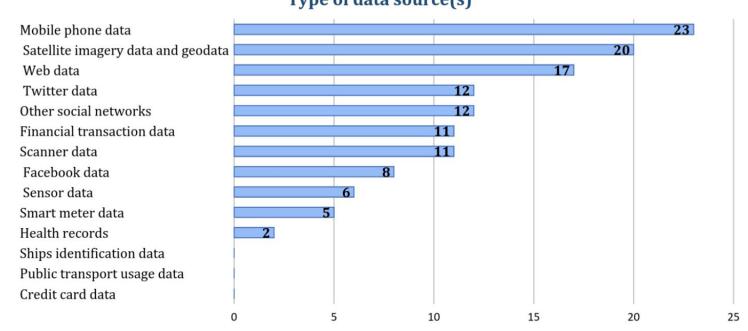


What is Big Data? Government view:





1. Survey of SDG-related Big Data projects Type of data source(s)



• Mobile (23), Satellite imagery (20) and social media (12+12+8) are the most prominent sources

Short Answer:

Big Data ≈ Data Mining ≈ Predictive Analytics ≈ Data Science (Leskovec et al., 2014)

This Class:

How to analyze data that is mostly too large for main memory.

Analyses only possible with a *large* number of observations or features.

Goal: Generalizations
A *model* or *summarization* of the data.





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E.g.

- Google's PageRank: summarizes web pages by a single number.
- Twitter financial market predictions: *Models* the stock market according to shifts in sentiment in Twitter.
- Distinguish tissue type in medical images: Summarizes millions of pixels into clusters.
- Mental Health diagnosis in social media: Models presence of diagnosis as a distribution (a summary) of linguistic patterns.
- Frequent co-occurring purchases: Summarize billions of purchases as items that frequently are bought together.

Goal: Generalizations
A *model* or *summarization* of the data.

- 1. Descriptive analytics
 Describe (generalizes) the data itself
- 2. Predictive analytics
 Create something *generalizeable* to new data

Core Data Science Courses

CSE 519: Data Science Fundamentals

CSE 544: Prob/Stat for Data Scientists

CSE 545: Big Data Analytics

CSE 512: Machine Learning

CSE 537: Artificial Intelligence

CSE 548: Analysis of Algorithms

CSE 564: Visualization

Applications of Data Science

CSE 507:

Computational Linguistics

CSE 527:

Computer Vision

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Key Distinction:

Focus on scalability and algorithms / analyses not possible without large data.

We will learn:

- to analyze different types of data:
 - high dimensional
 - graphs
 - infinite/never-ending
 - labeled
- to use different models of computation:
 - MapReduce
 - streams and online algorithms
 - single machine in-memory
 - Spark

We will learn:

- to solve real-world problems
 - Recommendation systems
 - Market-basket analysis
 - Spam and duplicate document detection
 - Geo-coding data
- uses of various "tools":
 - linear algebra
 - optimization
 - dynamic programming
 - hashing
 - functional programming
 - tensorflow

http://www3.cs.stonybrook.edu/~has/CSE545/

Preliminaries

Ideas and methods that will repeatedly appear:

- Bonferroni's Principle
- Normalization (TF.IDF)
- Hash functions
- IO Bounded (Secondary Storage)
- Power Laws
- Unstructured Data

Bonferroni's Principle

Bonferroni's Principle

















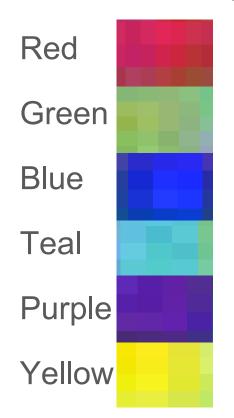




Bonferroni's Principle

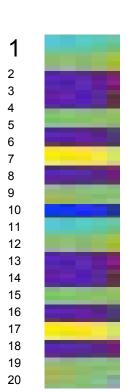
Red Green Blue Teal Purple Yellow Which iphone case will be least popular?

Bonferroni's Principle



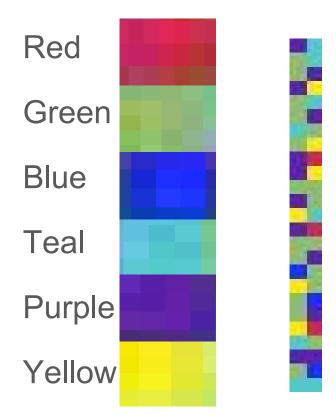
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First 10 sales come in:

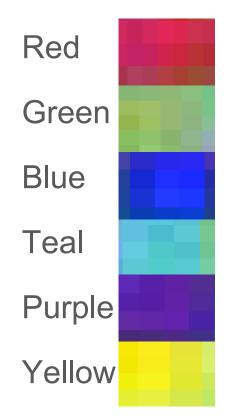


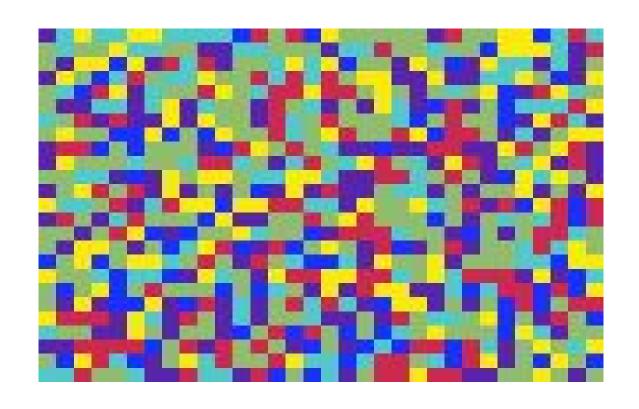
Can you make any conclusions?

Bonferroni's Principle



Bonferroni's Principle





Bonferroni's Principle

Roughly, calculating the probability of any of n *findings* being true requires n times the probability as testing for 1 finding.

https://xkcd.com/882/

In brief, one can only look for so many patterns (i.e. features) in the data before you find something just by chance.

"Data mining" was originally a bad word!

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Term Frequency:

Inverse Document Frequency:

$$tf_{ij} = \frac{count_{ij}}{\max_k count_{kj}}$$

$$idf_i = log_2(\frac{docs_*}{docs_i}) \propto \frac{1}{\frac{docs_i}{docs_*}}$$

 $tf.idf_{ij} = tf_{ij} \times idf_i$

where docs is the number of documents containing word *i*.

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Standardize: puts different sets of data (typically vectors or random variables) on the same scale with the came center.

- Subtract the mean (i.e. "mean center")
- Divide by standard deviation

$$z_i = \frac{x_i - \bar{x}}{s_x}$$

. . .

Review:

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Objective: send the same number of expected hash-keys to each bucket

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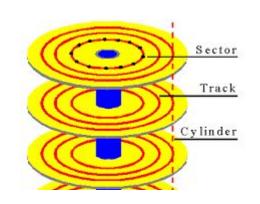
Database Indexes: Retrieve all records with a given *value.* (also review if unfamiliar / forgot)

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IO Bounded

Reading a word from disk versus main memory: 10⁵ slower!

Reading many contiguously stored words is faster per word, but fast modern disks still only reach 150MB/s for sequential reads.



IO Bound: biggest performance bottleneck is reading / writing to disk.

(starts around 100 GBs; ~10 minutes just to read).

Power Law

Characterized many frequency patterns when ordered from most to least:

County Populations [r-bloggers.com]

links into webpages [Broader et al., 2000]

Sales of products [see book]

Frequency of words [Wikipedia, "Zipf's Law"]

("popularity" based statistics, especially without limits)

Power Law

Power Law:

$$\log y = b + a \log x$$



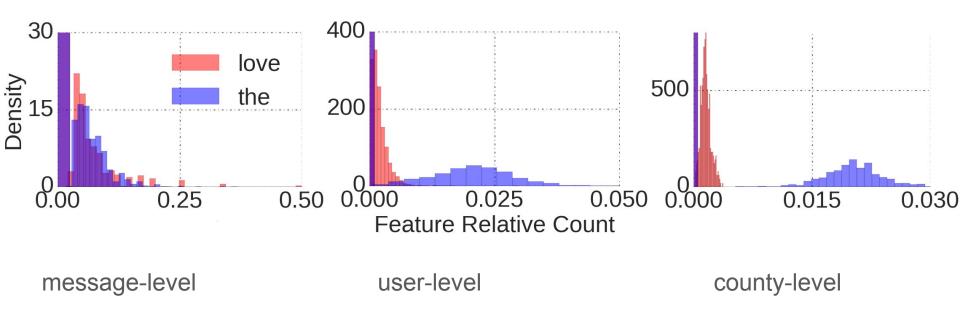
raising to the natural log:

$$y = e^b e^{a \log x} = e^b x^a = cx^a$$

where c is just a constant

Characterizes "the Matthew Effect" -- the rich get richer

Power Law

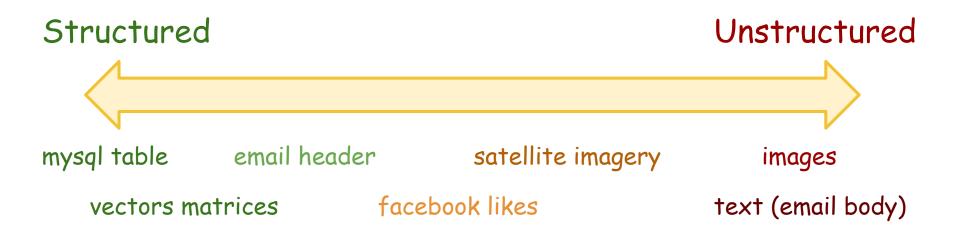


Data

Structured
Unstructured

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