# Computer Science 549 - Computational Biology Prof. Steven Skiena Fall 2013 

Homework 1<br>Due Thursday, October 3, 2013

September 17, 2013

Each of the problems should be solved on a separate sheet of paper to facilitate grading. Limit the solution of each problem to one sheet of paper unless otherwise stated.

Many of these problems are deliberately open-ended and vague; do the best you can on them but don't make yourself crazy. Please don't wait until the last minute to look at the problems.

You must do this assignment in groups of 2 to 3 people. Mixed groups of computational and life scientists are best, if possible.

1. Spend some time playing with the Entrez / Genbank databases.

Write a one page paper about your experiences. Below are representative topics for investigation:
(a) Hunt for the sequence of the gene which produces the Hemoglobin protein. Why are there so many results - how do they differ?
(b) The Yak genome was recently sequenced. Where can you find it?
(c) How many organisms have had their genomes completely sequenced? How many of these are mammals, plants, fungi, bacteria, and viruses, respectively.
2. Spend some time playing with the PubMed, the database of all biological/medical literature available at www.ncbi.nlm.nih.gov/PubMed/ .
Write a one page paper about your experiences. Below are representative topics for investigation:
(a) Look up the disease Aplastic Anemia in PubMed. What are the potential causes of it? What are the most up-to-date treatments of the diseases?
(b) Find some obscure organism (such as the Kinkajou) and see what is know about it. You might need to find Latin names for such a beast and search on that.
(c) How many of Skiena's papers are listed on Pubmed? Are any of these any good? How many of these do not appear in standard computer science bibliographic sources such as DBLP http://www.informatik.uni-trier.de/~ley/db, Google Scholar, the ACM Digital Library, or the Web of Knowledge database. The later two are available through the Stony Brook Library webpage (check Databases).
3. Implement the greedy heuristic for the shortest common superstring in your favorite programming language, and do some experiments with it to get a better understanding of sequence assembly. Your program must take as input a collection of strings (one per line) and return a short superstring of them.
Your program can use the naive algorithm to test pairs of strings for the longest overlap, although feel free to do better if you are brave and have enough time on your hands. Do not run any experiment which will take more than a few minutes.
You should start by writing a program which takes an input sequence of length $n$ and generates simulated fragments with the following parameters: $m$ random fragments, each of length $l$. There should be no base errors - all fragments should be substrings of the input.
Write a 2-3 page paper answering the following questions. Attach printouts of your programs. Note that it will be more useful to conduct repeated experiments on scaled-down problem sizes than fewer experiments on larger instances to minimize computation time.
(a) How large a project does it take (as a function of $n$ and $m$ ) before reconstruction times starts to be a problem?
(b) What coverage do you need before the reconstructed superstring tends to be correct (the same as the input is generated from)?
(c) How is the accuracy of reconstruction affected by coverage and the fragment length?
(d) How does the reconstruction accuracy differ over random sequences, DNA from Genbank, and English text?
4. Suppose you are given $n$ strings, each of which is of length exactly two, e.g. AB, BC, CD. Give a fast (i.e. polynomial time) algorithm to find the shortest common superstring of these strings.
5. Give an algorithm that take in two strings $A$ and $B$ (of lengths $n$ and $m$ ) and find the longest suffix of $A$ that exactly matches the prefix of $B$. This algorithm should run on $O(n+m)$ time.
6. Explain how to adapt the algorithm for computing the longest palindrome within a string to the notion of "biological palindromes", where we seek the longest substring of a DNA sequence which is its own reverse complement.

